Web Scraping & Text Mining

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May 18, 2018

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Where Are We?



We've covered the basics of document representation and characterization.

Now begin to think about documents as members of categories or classes

 \rightarrow simple, fast dictionary based ways to classify/categorize

cover some 'major' dictionaries in social science and move on to supervised learning problems.

Terminology

Unsupervised techniques: learning (hidden or latent) structure in unlabeled data.

e.g. PCA of legislators's votes: want to see how they are organized—by party? by ideology? by race?

Supervised techniques: learning relationship between inputs and a labeled set of outputs.

e.g. opinion mining: what makes a critic like or dislike a movie $(y \in \{0, 1\})$?



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Overview: Supervised Learning

label some examples of each category

- e.g. some reviews that were positive (y = 1), some that were negative (y = 0); some statements that were liberal, some that were conservative.
- train a 'machine' on these examples (e.g. logistic regression), using the features (DTM, other stuff) as the 'independent' variables.
 - e.g. does the commentator use the word 'fetus' or 'baby' in discussing abortion law?
- classify use the learned relationship to predict the outcomes of documents $(y \in \{0, 1\}, \text{ review sentiment})$ not in the training set.

- idea: set of pre-defined words with specific connotations that allow us to classify documents automatically, quickly and accurately.
 - $\rightarrow\,$ common in opinion mining/sentiment analysis, and in coding events or manifestos.

Often derived from supervised learning techniques and often used in supervised learning problems, as a starting point. so we'll cover them here in that context.

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Estimating Word Discrimination



Fig. 1 The data collection process.

Estimating Word Discrimination

- 1) Task
 - a) Classification ~>> learn word weights for dictionaries
 - b) Fictitious prediction problem → Identify features that discriminate between groups to learn features that are indicative of some group
- 2) Objective function

$$f(\boldsymbol{\theta}, \boldsymbol{X}) = f(\boldsymbol{\theta}, \boldsymbol{X}, \boldsymbol{Y})$$

where:

- $\mathbf{Y} = \mathsf{Document \ Labels}$
- $\pmb{X} = \mathsf{Document}\;\mathsf{Features}$
- heta = Parameters that measure words discrimination between categories
- 3) Optimization ~> method specific
- 4) Validation \rightsquigarrow depends on task
 - i) Classification \rightsquigarrow Accuracy, Precision, Recall
 - ii) Fictitious prediction \rightsquigarrow Face, convergent, discriminatory, and confound

Stylometry >>> Who Wrote Disputed Federalist Papers?

Federalist papers \rightsquigarrow Mosteller and Wallace (1963)

- Persuade citizens of New York State to adopt constitution
- Canonical texts in study of American politics
- 77 essays
 - Published from 1787-1788 in Newspapers
 - And under the name Publius, anonymously
- Who Wrote the Federalist papers?
 - Jay wrote essays 2, 3, 4,5, and 64
 - Hamilton: wrote 43 papers
 - Madison: wrote 12 papers
- Disputed: Hamilton or Madison?
 - Essays: 49-58, 62, and 63
 - Joint Essays: 18-20

Task: identify authors of the disputed papers.

Task: Classify papers as Hamilton or Madison using dictionary methods

Training → papers Hamilton, Madison are known to have authored Test → unlabeled papers Preprocessing:

- Hamilton/Madison both discuss similar issues
- Differ in extent they use stop words
- Focus analysis on the stop words

Setting up the Analysis

- $\mathbf{Y} = (Y_1, Y_2, \dots, Y_N) = (Hamilton, Hamilton, Madison, \dots, Hamilton)$ $N \times 1$ matrix with author labels
- Define the number of words in federalist paper *i* as num_{*i*}



-
$$\boldsymbol{\theta} = (\theta_1, \theta_2, \dots, \theta_J)$$

Word weights.

Objective Function

Heuristically: find $\boldsymbol{\theta}^* = (\theta_1^*, \theta_2^*, \dots, \theta_J^*)$ used to create score

$$p_i = \sum_{j=1}^J \theta_j^* X_{ij}$$

that maximally discriminates between categories



Objective Function

Define:



Objective Function

We can then define functions that describe the "projected" mean and variance for each author

$$g(\theta, \mathbf{X}, \mathbf{Y}, \text{Madison}) = \frac{1}{N_{\text{Madison}}} \sum_{i=1}^{N} I(Y_i = \text{Madison}) \theta' \mathbf{X}_i = \theta' \mu_{\text{Madison}}$$

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Objective Function ~>> Optimization

$$f(\theta, \mathbf{X}, \mathbf{Y}) = \frac{(g(\theta, \mathbf{X}, \mathbf{Y}, \text{Hamilton}) - g(\theta, \mathbf{X}, \mathbf{Y}, \text{Madison}))^2}{s(\theta, \mathbf{X}, \mathbf{Y}, \text{Hamilton}) + s(\theta, \mathbf{X}, \mathbf{Y}, \text{Madison})}$$
$$= \frac{\left(\theta'(\mu_{\text{Hamilton}} - \mu_{\text{Madison}})\right)^2}{\text{Scatter}_{\text{Hamilton}} + \text{Scatter}_{\text{Madison}}}$$

Optimization \rightsquigarrow find θ^* to maximize $f(\theta, X, Y)$, assuming independence across dimensions.

(Fisher's) Linear Discriminant Analysis

Optimization ~> Word Weights

For each word j, construct weight θ_i^* ,

$$\mu_{j,\text{Hamilton}} = \frac{\sum_{i=1}^{N} I(Y_i = \text{Hamilton}) X_{ij}}{\sum_{j=1}^{J} \sum_{i=1}^{N} I(Y_i = \text{Hamilton}) X_{ij}}$$
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$$\sigma_{j,\text{Hamilton}}^2 = \text{Var}(X_{i,j} | \text{Hamilton})$$
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We can then generate weight θ_i^* as

$$\theta_j^* = rac{\mu_{j, \mathrm{Hamilton}} - \mu_{j, \mathrm{Madison}}}{\sigma_{j, \mathrm{Hamilton}}^2 + \sigma_{j, \mathrm{Madison}}^2}$$

Optimization ~>> Trimming the Dictionary

- Trimming weights: Focus on discriminating words (very simple regularization)
- Cut off: For all $| heta_j^*| < 0.025$ set $heta_j^* = 0.$

For each disputed document *i*, compute discrimination statistic

$$p_i = \sum_{j=1}^J heta_j^* X_{ij}$$

 $p_i \rightsquigarrow$ classification (linear discriminator)

- Above midpoint in training set \rightarrow Hamilton text
- Below midpoint in training set \rightarrow Madison text

Findings: Madison is the author of the disputed federalist papers.

Classification ~> Custom Dictionaries

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Vague and Difficult to derive before hand

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- Partial answer: identify words that distinguish press releases and floor speeches

Mutual Information

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 - Minimum: 0 ightarrow X_j fails to separate speeches and floor statements

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- Minimum: $Pr(Press) \rightarrow 0$ (or $Pr(Press) \rightarrow 1$)

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Bigger mutual information \Rightarrow better discrimination

Objective function and optimization \leadsto estimate probabilities that we then place in mutual information











What's Different?

- Press Releases: Credit Claiming



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- Floor Speeches: Procedural Words



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- Floor Speeches: Procedural Words
- Validate: Manual Classification



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- Procedural: 0% Press Releases, 44% Floor Speeches

Press Attention – Speech Attention





Mutual Information, Standardized Log Odds

Iraq War, Partisan Words



June 4, 2017

Mutual Information, Standardized Log Odds

Gas Prices, Partisan Words



June 4, 2017

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- Validation (Model checking) → weight (model) checking, replication of hand coding, face validity

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 - Statistical measures of separation

Key point: this is the same task

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 - \Rightarrow {Agriculture, Crime, Environment, ...}
- Campaign agendas

 \Rightarrow {Abortion, Campaign, Finance, Taxing, ... }

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Style/Tone: How is it said?

- Taunting in floor statements

 \Rightarrow { Partisan Taunt, Intra party taunt, Agency taunt, ... }

- Negative campaigning
 - \Rightarrow { Negative ad. Positive ad}

Pre-existing word weights >>> Dictionaries

DICTION is a computer-aided text analysis program for Windows® and Mac® that uses a series of dictionaries to search a passage for five semantic features—Activity, Optimism, Certainty, Realism a Commonality—as well as thirty-five sub-features. DICTION uses predefined dictionaries and can use up to thirty custom dictionaries built with words that the user has defined, such as topical or negative words, for particular research needs.

DICTION 7, now with *Power Mode*, can read a variety of text formats and can accept a large number files within a single project. Projects containing over 1000 files are analyzed using *power analysis* for enhanced speed and reporting efficiency, with results automatically exported to .csv-formatted spreadsheet file.

On an average computer, DICTION can process over 20,000 passages in about five minutes. DICTIC requires 4.9 MB of memory and 38.4 MB of hard disk space.

Pre-existing word weights >>> Dictionaries

DICTION

provides both social scientific and humanistic understandings" —Don Waisanen, Baruch College

DICTION 7 for Mac (Educational) (\$219.00)

This is the educational edition of DICTION Version 7 for Mac. You purchase on the following page.



1) Proprietary

1) Proprietary \leadsto wrapped in GUI

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 - The Lexicoder Sentiment Dictionary (Young and Soroka), which targeted "political

Classification with Dictionary Methods

Aim Typically we are trying to do one of two closely related things:

1 Categorize documents as belonging to a certain class (mutually exclusive? jointly exhaustive?)

e.g. this review is 'positive', this speech is 'liberal'

2 Measure extent to which document is associated with given category e.g. this review is generally 'positive', but has some negative elements.

We have a pre-determined list of words, the (weighted) presence of which helps us with (1) and (2).

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More Specifically

We have a set of key words, with attendant scores,

- e.g. for movie reviews: 'terrible' is scored as -1; 'fantastic' as +1
- $\rightarrow\,$ the relative rate of occurrence of these terms tells us about the overall tone or category that the document should be placed in.
- i.e. for document i and words $m = 1, \ldots, M$ in the dictionary,

tone of document
$$i = \sum_{m=1}^{M} \frac{s_m w_{im}}{N_i}$$

- where s_m is the score of word m
 - and *w_{im}* is the number of occurrences of the *m*th dictionary word in the document *i*
 - and N_i is the total number of all dictionary words in the document.
 - → just add up the number of times the words appear and multiply by the score (normalizing by doc dictionary presence)

(Simple) Example: Barnes' review of The Big Short

Director and co-screenwriter Adam McKay (Step Brothers) bungles a great opportunity to savage the architects of the 2008 financial crisis in The Big Short, wasting an A-list ensemble cast in the process. Steve Carell, Brad Pitt, Christian Bale and Ryan Gosling play various tenuously related members of the finance industry, men who made made a killing by betting against the housing market, which at that point had superficially swelled to record highs. All of the elements are in place for a lacerating satire, but almost every aesthetic choice in the film is bad, from the U-Turn-era Oliver Stone visuals to Carell's sketch-comedy performance to the cheeky cutaways where Selena Gomez and Anthony Bourdain explain complex financial concepts. After a brutal opening half, it finally settles into a groove, and there's a queasy charge in watching a credit-drunk America walking towards that cliff's edge, but not enough to save the film.

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Retain words in Hu & Liu Dictionary...

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Retain words in Hu & Liu Dictionary...



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Simple math...

negative 11 positive 2 total 13

tone
$$= \frac{2-11}{13} = \frac{-9}{13}$$



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June 4, 2017

Notes

Typically assume that "every word contributes isomorphically" (Young & Saroka): each word in dictionary has one of two values and sum totals matter.

- But no requirement that s_m be dichotomous or integer valued: could be continuous.
- e.g. might want to differentiate 'good' from 'great' from 'best'. Hard to come up with rules!
- NB Tone of the document can be presented as a continuous value, or used to put documents in categories via some cutoff rule.
- e.g. all documents with tone > 0 are deemed 'positive'
- NB Bag-of-words assn may be especially dubious for some dictionary tasks e.g. context matters: "was not good" gets +1 !

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General Inquirer (selected)

Entry ABILITY	Source H4Lvd	Positiv Positiv	Negativ	Pstv	Affil	Ngtv	Hostile	Strong Strong	Power
ABJECT	H4		Negativ						
ABLE	H4Lvd	Positiv		Pstv				Strong	
ABNORMAL	H4Lvd		Negativ			Ngtv			
ABOARD	H4Lvd								
ABOLISH	H4Lvd		Negativ			Ngtv	Hostile	Strong	Power
ABOLITION	Lvd								
ABOMINABLE	H4		Negativ					Strong	
ABRASIVE	H4		Negativ				Hostile	Strong	
ABROAD	H4Lvd								
ABRUPT	H4Lvd		Negativ			Ngtv			
ABSCOND	H4		Negativ				Hostile		
ABSENCE	H4Lvd		Negativ						
ABSENT#1	H4Lvd		Negativ						
ABSENT#2	H4Lvd								
ABSENT-MINDE	DH4		Negativ						
ABSENTEE	H4		Negativ				Hostile		
ABSOLUTE#1	H4Lvd							Strong	
ABSOLUTE#2	H4Lvd							Strong	

provides dictionaries and software, which performs some stemming and disambiguation in terms of context

e.g. ADULT has two meanings: one is a 'virtue', one is a 'role'

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Dictionaries II: Linguistic Inquiry and Word Count (LIWC)

Pennebaker et al, http://liwc.wpengine.com/ LIWC2007 dictionary contains 2290 words and word stems (see also LIWC2015)

80 categories, organized hierarchically into 4 larger groups.

- e.g. all anger words (e.g. hate) ⊂ negative emotion ⊂ affective processes ⊂ psychological processes
- NB words can be in multiple categories, and each subdictionary score is incremented as such words appear.

Based on somewhat involved human coding/judgement and proprietary.

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Pennebaker & Chung, 2007: C Al-Qaeda Transcripts

"The LIWC analyses suggest that Bin Ladin h complexity and emotionality since 9/11, as repositive emotion, and negative emotion word



D. Negative emotion (hate, sad)

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Dictionaries IV: Hu & Liu

2004 Hu and Liu ("Mining and Summarizing Customer Reviews") provide 6800 words which are positive and negative derived from amazon.com and others.



1,036 of 1,144 people found the following review helpful

★★★★★ With Great Powers Comes Great Responsibility

By Tommy H. on July 17, 2009

I admit it, I'm a ladies' man. And when you put this shirt on a ladies' man, it's like giving an AK-47 to a ninja. Sure it looks cool and probably would make for a good movie, but you know somebody is probably going to get hurt in the end (no pun intended). That's what almost happened to me, this is my story...

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Three ways to create dictionaries (non-exhaustive):

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- The ideal content analysis dictionary associates all and only the relevant words to each category in a perfectly valid scheme
- Three key issues:
 - Validity: Is the dictionary's category scheme valid?
 - Sensitivity: Does this dictionary identify all my content?
 - Specificity: Does it identify only my content?

How to build a dictionary

I Identify "extreme texts" with "known" positions. Examples:

- Opposition leader and Prime Minister in a no-confidence debate
- Opposition leader and Finance Minister in a budget debate
- Five-star review of a product (excellent) and a one-star review (terrible)
- 2 Search for differentially occuring words using word frequencies
- 3 Examine these words in context to check their sensitivity and specificity
- Examine inflected forms to see whether stemming or wildcarding is required
- 5 Use these words (or their lemmas) for categories

- Detects words that discriminate between partitions of a corpus
- For instance, we could partition the Irish budget speech corpus into "government" and "opposition" speeches, and look for words that occur in one partition with higher relative frequency in opposition than in government speeches
- This is done by constructing a 2 × 2 table for each word, and testing association between that word and the partition categories

Discrimination

- So Once researcher has *extreme* examples of text, various methods to identify the words that discriminate between them...
- \rightarrow these words then become scored as part of the dictionary/thesaurus. Can use <code>WordNet</code> to find synonyms.
- 2013 Taddy provides *Multinomial Inverse Regression* to dimension reduce text, and make outcomes a product of that (reduced) set of Xs
 - $\rightarrow\,$ can be used to produce key predictors/keywords that discriminate in terms of categories.
- 2009 Monroe, Colaresi & Quinn consider ways to capture partisan differences in speech, and suggest Bayesian shrinkage estimator approach.
 - $\rightarrow\,$ previous approaches tend to overfit to obscure words or groups that don't have much validity in context.

Most Democratic and Republican Words on Abortion (106th, Laplace prior)



June 4, 2017

Events, dear boy...

Scholars of International Relations need access to events Real time media reports are obvious source...



Yet need to be coded automatically to be helpful.

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Premise and Resources

1994 Philip Schrodt develops Kansas Event Data System

- 2000 TABARI Textual Analysis by Augmeted Replacement Instructions—open source.
 - also many related products, including CAMEO dealing specifically with mediation
- while Virtual Research Associates Reader VRA is proprietary version.

idea first sentence of Reuters news feed ('lead') contains... source of event, subject of sentence

target of event, object of sentence (direct or indirect)

type of event, transitive verb of sentence

(日)

Use and Example (Lowe & King, 2003)

Russian artillery^S south of the Chechen capital Grozny $blasted^{223}$ Chechen positions^T overnight before falling silent at dawn, witnesses said on Tuesday

- S is the source
- T is the target

223 is the code of the event between them

Hierarchical Coding Scheme (CAMEO)/Dictionary

12: REJECT

- 120: Reject, not specified below
- 121: Reject material cooperation
 - 1211: Reject economic cooperation
 - 1212: Reject military cooperation
- 122: Reject request or demand for material aid, not specified below
 - 1221: Reject request for economic aid
 - 1222: Reject request for military aid
 - 1223: Reject request for humanitarian aid
 - 1224: Reject request for military protection or peacekeeping

CAMEO	1222
Name	Reject request for military aid
Description	Refuse to extend military assistance.
Example	The Turkish government has refused to commit to any direct assistance to
	the US-led war against Iraq, citing domestic opposition.

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Actors (CAMEO)/Dictionary

UGAREBLRA	Lord's Resistance Army
UIG	Uighur (Chinese ethnic minority)
UIS	Unidentified state actors
UKR	Ukraine
URY	Uruguay
USA	United States
USR	Union of Soviet Socialist Republics (USSR)
UZB	Uzbekistan
VAT	Holy See (Vatican City)
VCT	Saint Vincent and the Grenadines
VEN	Venezuela
VGB	British Virgin Islands

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Delving More Deeply

- Begins with basic parsing: POS, stemming, stop words etc.
- Much effort to disambiguate:

Use of pronouns causes problems.

e.g. President is referred to as 'he' in subsequent sentences

Synonyms (and metonyms!) also require dictionaries (WordNet). e.g. 'US', 'American' ('US', 'Washington')

Care over verb/noun problems.

- e.g. 'attack' as noun and verb
- Excellent performance relative to human coders (Lowe & King, 2003): both in terms of reliability and validity.

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Summing up

Applying the model:

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- Vector of word counts: $X_i = (X_{i1}, X_{i2}, ..., X_{iK}, (i = 1, ..., N))$
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 - $\theta_k \in \{0,1\}$

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-
$$\theta_k \in \{-1, 0, 1\}$$

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For each document i calculate score for document

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$$Y_i = \frac{\sum_{k=1}^{K} \theta_k X_{ik}}{\sum_{k=1}^{K} X_k}$$

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2}

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For each document i calculate score for document

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Validation

Being Careful...

In principle, it is straightforward to extend dictionary from one domain to another;

 \rightarrow matter of adding extra words in the various categories.

But much care is needed when a dictionary designed for one context is applied to another.

e.g. Loughran & MacDonald, 2011: common dictionaries fail badly when applied to financial texts. e.g. cost is a neutral term in reports, but negative in Harvard IV

plus virtually impossible to validate dictionaries: very expensive, at least. btw humans not very good at producing discriminating terms for e.g. opinion mining (Pang et al, 2002)

Accounting Research: measure tone of 10-K reports

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- Training: build dictionary on subset of documents with known labels

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Replicate classification exercise

- How well does our method perform on held out documents?

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- Supervised learning classification: (Cross)validation

Humans should be able to classify documents into the categories you want the machine to classify them in

- This is hard

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- A procedure for training coders:
 - 1) Coding rules
 - 2) Apply to new texts
 - 3) Assess coder agreement (we'll discuss more in a few weeks)
 - 4) Using information and discussion, revise coding rules

Measures of classification performance		
	Actual Label	
Guess	Liberal	Conservative
Liberal	True Liberal	False Liberal
Conservative	False Conservative	True Conservative

Measures of classification performance

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Under reported for dictionary classification

 $\sim \rightarrow$

June 4, 2017

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Lower level classification \rightsquigarrow label phrases and then aggregate Modifiable areal unit problem in texts \rightsquigarrow aggregating destroys information, conclusion may depend on level of aggregation

Traditional

Automated Classification



Fig. 1 The data collection process.

Clustering and Topic Models:

- Models for discovery
 - Infer categories
 - Infer document assignment to categories
 - Pre-estimation: relatively little work
 - Post-estimation: extensive validation testing

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 - Infer: new document assignment to categories (distribution of documents to categories)
 - Pre-estimation: extensive work constructing categories, building classifiers
 - Post-estimation: relatively little work

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- 3) Set of unlabeled documents
- 4) Method to extrapolate from hand coding to unlabeled documents

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For supervised methods to work: maximize coder agreement

- 1) Write careful (and brief) coding rules
 - Flow charts help simplify problems
- 2) Train coders to remove ambiguity, misinterpretation

How Do We Generate Coding Rules?

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Iterative process for generating coding rules:

1) Write a set of coding rules

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- 4) Identify sources of disagreement, repeat

How Do We Identify Coding Disagreement?

Many measures of inter-coder agreement

Essentially attempt to summarize a confusion matrix

	Cat 1	Cat 2	Cat 3	Cat 4	Sum, Coder 1
Cat 1	30	0	1	0	31
Cat 2	1	1	0	0	2
Cat 3	0	0	1	0	1
Cat 4	3	1	0	7	11
Sum, Coder 2	34	2	2	7	Total: 45

- **Diagonal**: coders agree on document
- Off-diagonal : coders disagree (confused) on document

Generalize across (k) coders:

- $\frac{k(k-1)}{2}$ pairwise comparisons
- k comparisons: Coder A against All other coders

During coding development phase/coder assessment phase, full confusion matrices help to identify

- Ambiguity
- Coder slacking

How Do We Identify Coding Disagreements?

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	Coder A								
	1	2	3	4	5	6	7	8	Tot
Coder B									
1	15	2	1	0	0	1	0	0	
3	1	0	0	1	0	0	0	0	
4	0	0	0	5	0	3	1	0	
5	0	0	0	1	13	7	0	2	2
6	11	1	3	3	1	32	0	1	
7	1	0	0	0	0	13	26	36	i i
8	2	0	0	0	1	7	0	8	
Total	30	3	4	10	15	63	27	47	

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	Coder A								
	1	2	3	4	5	6	7	8	Tota
Coder C									
1	23	1	1	1	0	9	0	0	
2	0	0	0	0	0	1	0	0	
3	1	1	3	2	0	3	0	0	
4	0	0	0	4	0	8	1	0	
5	0	0	0	2	13	2	0	2	
6	4	1	0	1	1	32	1	2	
7	1	0	0	0	0	2	25	36	
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	Coder C								
	1	2	3	4	5	6	7	8	Tota
Coder B									
1	18	0	1	0	0	0	0	0	
3	1	0	1	0	0	0	0	0	
4	0	0	1	7	0	1	0	0	
5	0	0	0	2	18	3	0	0	
6	13	1	7	4	1	26	0	0	
7	3	0	0	0	0	8	63	2	
8	0	0	0	0	0	4	1	15	
Total	35	1	10	13	19	42	64	17	

Example Coding Document

8 part coding scheme

- Across Party Taunting: explicit public and negative attacks on the other party or its members
- Within Party Taunting: explicit public and negative attacks on the same party or its members [for 1960's politics]
- Other taunting: explicit public and negative attacks not directed at a party
- Bipartisan support: praise for the other party
- Honorary Statements: qualitatively different kind of speech
- Policy speech: a speech without taunting or credit claiming
- Procedural
- No Content: (occasionally occurs in CR)

Example Coding Document



()

How Do We Summarize Confusion Matrix?

Lots of statistics to summarize confusion matrix:

- Most common: intercoder agreement

$$\mathsf{Inter \ Coder}(A,B) = \frac{\mathsf{No.} \ (\mathsf{Coder} \ A \ \& \ \mathsf{Coder} \ B \ \mathsf{agree})}{\mathsf{No.} \ \mathsf{Documents}}$$

Liberal measure of agreement:

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What to do?

Suggestion: Subtract off amount expected by chance:

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What to do?

Suggestion: Subtract off amount expected by chance:

 $\frac{\text{Inter Coder}(A, B)_{\text{norm}} =}{\frac{\text{No. (Coder A & Coder B agree)} - \text{No. Expected by Chance}}{\text{No. Documents}}}$

- Some agreement by chance
- Consider coding scheme with two categories { Class 1, Class 2}.
- Coder A and Coder B flip a (biased coin). (Pr(Class 1) = 0.75, Pr(Class 2) = 0.25)
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What to do?

Suggestion: Subtract off amount expected by chance:

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Best Practice: present confusion matrices.

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Calculate in R with concord package and function kripp.alpha

How Many To Code By Hand/How Many to Code By Machine

Rules of thumb:

- Hopkins and King (2010): 500 documents likely sufficient
- Hopkins and King (2010): 100 documents may be enough
- BUT: depends on quantity of interest
- May **REQUIRE** many more documents

Percent data coded, Error



Figure 2: Test error vs training size on the newsgroups alt.atheism and talk.religion.misc

()

Hand labeled

- Training set (what we'll use to estimate model)
- Validation set (what we'll use to assess model)

Unlabeled

- Test set (what we'll use the model to categorize)
- Label more documents than necessary to train model

Methods to Perform Supervised Classification

- Use the hand labels to train a statistical model.
- Naive Bayes
 - Shockingly simple application of Bayes' rule

Suppose we have document *i*, (i = 1, ..., N) with *J* features

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To do this: use hand coded observations to estimate (train) regression model

Apply model to test data, classify those observations

Reminder: Bayes' Theorem

Recall that:

$$\Pr(A|B) = \frac{\Pr(A,B)}{\Pr(B)}$$

- the probability that A occurs given that B occurred = the probability of both A and B occurring, divided by the probability that B occurs.
- e.g. you know a die shows an odd number, what is the probability that this odd number is 3? $Pr(3|odd) = \frac{\frac{1}{6}}{\frac{1}{4}} = \frac{1}{3}$.
 - of course, it is also true that $Pr(B|A) = \frac{Pr(B,A)}{Pr(A)}$.
 - but then, since Pr(A, B) = Pr(B, A), we must have Pr(A|B) Pr(B) = Pr(B|A) Pr(A), and thus...Bayes' law

$$\Pr(A|B) = \frac{\Pr(A)\Pr(B|A)}{\Pr(B)}.$$

June 4, 2017

And. . .

- interest is in $Pr(A|B) = \frac{Pr(A)Pr(B|A)}{Pr(B)}$.
- Notice that Pr(B) itself does not tell us whether a particular value of A is more or less likely to be observed, so drop it and rewrite:

 $\Pr(A|B) \propto \Pr(A) \Pr(B|A)$

Here, Pr(A) is our prior for A, while Pr(B|A) will be the likelihood for the data we saw.

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Given c = class and d = document, $p(c|d) = \frac{p(d|c)p(c)}{p(d)}$

- p(c|d) = probability of instance d being in class c, This is what we are trying to compute
- p(d|c) = probability of generating instance d given class c. We can imagine that being in class c, causes you to have feature d with some probability
- p(c) = probability of occurrence of class c. This is just how frequent the class c, is in our data
- p(d) = probability of instance d occurring. This can actually be ignored, since it is the same for all classes

Reformulate the problem at the word level...

Consider J word types distributed across I documents, each assigned one of K classes.

At the word level, Bayes Theorem tells us that:

$$P(c_k|w_j) = \frac{P(w_j|c_k)P(c_k)}{P(w_j)}$$

For two classes, this can be expressed as

 $=\frac{P(w_j|c_k)P(c_k)}{P(w_j|c_k)P(c_k)+P(w_j|c_{\neg k})P(c_{\neg k})}$

Class-conditional word likelihoods

$$P(c_k|w_j) = \frac{P(w_j|c_k)P(c_k)}{P(w_j|c_k)P(c_k) + P(w_j|c_{\neg k})P(c_{\neg k})}$$

- The word likelihood within class
- The maximum likelihood estimate is simply the proportion of times that word j occurs in class k, but it is more common to use Laplace smoothing by adding 1 to each observed count within class

$$P(c_k|w_j) = \frac{P(w_j|c_k)P(c_k)}{P(w_j)}$$

- This represents the word probability from the training corpus
- Usually uninteresting, since it is constant for the training data, but needed to compute posteriors on a probability scale

Class prior probabilities

$$P(c_k|w_j) = \frac{P(w_j|c_k)P(c_k)}{P(w_j|c_k)P(c_k) + P(w_j|c_{\neg k})P(c_{\neg k})}$$

- This represents the class prior probability
- Machine learning typically takes this as the document frequency in the training set
- This approach is flawed for scaling, however, since we are scaling the latent class-ness of an unknown document, not predicting class – uniform priors are more appropriate

Class posterior probabilities

$$P(c_k|w_j) = \frac{P(w_j|c_k)P(c_k)}{P(w_j|c_k)P(c_k) + P(w_j|c_{\neg k})P(c_{\neg k})}$$

This represents the posterior probability of membership in class k for word j

Moving to the document level

The "Naive" Bayes model of a joint document-level class posterior assumes conditional independence, to multiply the word likelihoods from a "test" document, to produce:

$$P(c|d) = P(c) \prod_{j} \frac{P(w_j|c)}{P(w_j)}$$

- ▶ This is why we call it "naive": because it (wrongly) assumes:
 - conditional independence of word counts
 - positional independence of word counts
Example

	email	words	classification
	1	money inherit prince	spam
	2	prince inherit amount	spam
training	3	inherit plan money	ham
	4	cost amount amazon	ham
	5	prince william news	ham
test	6	prince prince money	?

 \rightarrow

 $\begin{aligned} &\mathsf{Pr}(\mathsf{prince}|\mathsf{ham}) = \frac{1}{9} \\ &\mathsf{Pr}(\mathsf{prince}|\mathsf{ham}) = \frac{1}{9} \\ &\mathsf{Pr}(\mathsf{money}|\mathsf{ham}) = \frac{1}{9} \\ &\mathsf{Pr}(\mathsf{ham}|\mathsf{d}) \propto \frac{3}{5} \frac{1}{9} \frac{1}{9} \frac{1}{9} = 0.00082 \end{aligned}$

$$Pr(prince|spam) = \frac{2}{6}$$

$$Pr(prince|spam) = \frac{2}{6}$$

$$Pr(money|spam) = \frac{1}{6}$$

$$Pr(spam|d) \propto \frac{2}{5} \frac{2}{6} \frac{2}{6} \frac{1}{6} = 0.0074$$

$$\boxed{c_{map} = spam}$$

Assume that we have two classes $c_1 =$ male, and $c_2 =$ female.

We have a person whose sex we do not know, say "*drew*" or *d*.

Classifying *drew* as male or female is equivalent to asking is it more probable that *drew* is **male** or **female**, I.e which is greater p(male | drew) or p(female | drew) (Note: "Drew can be a male or female name")



Drew Barrymore



Drew Carey

What is the probability of being called "drew" given that you are a male? p(male | drew) = p(drew | male) p(male) $p(drew) \leftarrow$ What is the probability of being a male? What is the probability of being named "drew"? (actually irrelevant, since it is that same for all classes)



This is Officer Drew (who arrested me in 1997). Is Officer Drew a Male or Female?

Luckily, we have a small database with names and sex.

We can use it to apply Bayes rule...

Officer Drew

$$p(c_j \mid d) = \frac{p(d \mid c_j) p(c_j)}{p(d)}$$

Name	Sex
Drew	Male
Claudia	Female
Drew	Female
Drew	Female
Alberto	Male
Karin	Female
Nina	Female
Sergio	Male

				Name	Sex
				Drew	Male
				Claudia	Female
				Drew	Female
				Drew	Female
	$p(c_i \mid d) =$	$p(d \mid \mathbf{c}_j) p(c_j)$)	Alberto	Male
	5	$\frac{1}{p(a)}$	-	Karin	Female
Officer Drew				Nina	Female
				Sergio	Male
p(male drew) = 1/2 $p(female drew) = 2/2$	3/8	$= \underbrace{0.125}_{3.00}$ $= \underbrace{0.250}_{3.00}$		Officer I more lik a <mark>Femal</mark> e	ely to be



Officer Drew IS a female!

Officer Drew

p(male drew) = 1/3 *	3/8 = 0.125	
31	/8 3/8	
$p(\text{female} \mid drew) = \frac{2/5}{3/3}$		

What about multiple features?

Name	Over 170 см	Eye	Hair length	Sex
Drew	No	Blue	Short	Male
Claudia	Yes	Brown	Long	Female
Drew	No	Blue	Long	Female
Drew	No	Blue	Long	Female
Alberto	Yes	Brown	Short	Male
Karin	No	Blue	Long	Female
Nina	Yes	Brown	Short	Female
Sergio	Yes	Blue	Long	Male

Without loss of generalization, we can represent a document d as a set of features $f_1, f_2, ..., f_n$:

$$\hat{c} = \underset{c \in C}{\operatorname{argmax}} \overbrace{P(f_1, f_2, \dots, f_n | c)}^{\text{likelihood}} \overbrace{P(c)}^{\text{prior}}$$

Two core assumptions

- Bag of Words assumption: we assume word position doesn?t matter, and that the word "love" has the same effect on classification whether it occurs as the 1st, 20th, or last word in the document. Thus we assume that the features f_1, f_2, \ldots, f_n only encode word identity and not position. The prob a term occurs in a particular place is constant for entire document, which means we only need one probability distribution of terms that is valid for every position.
- Conditional Independence assumption: that the probabilities $P(f_i|c)$ are indedpendent give the class, and hence can be "naively" multiplied as follows $P(f_1, f_2, ..., f_n|c) = P(f_1|c) * P(f_2|c) * ... * P(f_n|c)$. That is, once we condition on a given category, the probability that a particular word occurs is independent of any other feature occurring.

• To simplify the task, **naïve Bayesian classifiers** assume attributes have independent distributions, and thereby estimate

$$p(d|c_j) = p(d_1|c_j) * p(d_2|c_j) * \dots * p(d_n|c_j)$$

$$f$$
the probability of ass c, generating

class c_j generating instance d, equals....

T

The probability of class c_j generating the observed value for feature 1, multiplied by..

The probability of class c_j generating the observed value for feature 2, multiplied by..

• To simplify the task, **naïve Bayesian classifiers** assume attributes have independent distributions, and thereby estimate

$$p(d|c_j) = p(d_1|c_j) * p(d_2|c_j) * \dots * p(d_n|c_j)$$

$$p(\text{officer drew}|c_j) = p(\text{over}_170_{\text{cm}} = \text{yes}|c_j) * p(\text{eye} = blue|c_j) * \dots$$



Officer Drew is blue-eyed, over 170_{cm} tall, and has long hair

 $p(\text{officer drew} | \text{Female}) = 2/5 * 3/5 * \dots$ p(officer drew| Male) = 2/3 * 2/3 *

Training Naive Bayes

function TRAIN NAIVE BAYES(D, C) **returns** log P(c) and log P(w|c)

for each class $c \in C$ # Calculate P(c) terms N_{doc} = number of documents in D N_c = number of documents from D in class c $logprior[c] \leftarrow \log \frac{N_c}{N_{doc}}$ $V \leftarrow \text{vocabulary of D}$ $bigdoc[c] \leftarrow append(d)$ for $d \in D$ with class c for each word w in V # Calculate P(w|c) terms $count(w,c) \leftarrow \#$ of occurrences of w in bigdoc[c] $loglikelihood[w,c] \leftarrow \log \frac{count(w,c) + 1}{\sum_{w' \text{ in } V} (count (w',c) + 1)}$ return logprior, loglikelihood, V

function TEST NAIVE BAYES(testdoc, logprior, loglikelihood, C, V) returns best c

```
for each class c \in C

sum[c] \leftarrow logprior[c]

for each position i in testdoc

word \leftarrow testdoc[i]

if word \in V

sum[c] \leftarrow sum[c] + loglikelihood[word,c]

return \operatorname{argmax}_{c} sum[c]
```

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$$= \frac{p(C_k)p(\mathbf{x}_i|C_k)}{p(\mathbf{x}_i)}$$

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$$C_{\text{Max}} = \arg \max_k p(C_k | \mathbf{x}_i)$$

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$$p(C_k | \mathbf{x}_i) = \frac{p(C_k, \mathbf{x}_i)}{p(\mathbf{x}_i)}$$
Proportion in C_k

$$\underbrace{p(\mathbf{x}_i | C_k)}_{\text{Language mode}}$$

$$= \frac{p(\mathbf{x}_i | C_k)}{p(\mathbf{x}_i)}$$

$$C_{Max}$$
 = arg max_k $p(C_k | \boldsymbol{x}_i)$

$$C_{Max} = \arg \max_{k} p(C_{k}|\mathbf{x}_{i})$$
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Two probabilities to estimate:

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Two probabilities to estimate:

 $p(C_k) = \frac{\text{No. Documents in } k}{\text{No. Documents}}$ (training set)

$$C_{Max} = \arg \max_{k} p(C_{k}|\mathbf{x}_{i})$$

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Two probabilities to estimate:

 $p(C_k) = \frac{\text{No. Documents in } k}{\text{No. Documents}} \text{ (training set)}$ $p(\mathbf{x}_i | C_k) \text{ complicated without assumptions}$

$$C_{Max} = \arg \max_{k} p(C_{k}|\mathbf{x}_{i})$$

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- Learn what documents in class j look like

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$$C_i = \arg \max_k \hat{p}(C_k) \hat{p}(\boldsymbol{x}_i | C_k)$$

Simple intuition about Naive Bayes:

- Learn what documents in class *j* look like
- Find class k that document i is most similar to

$$p(\tau_{ik} = 1 | \boldsymbol{x}_i, \widehat{\boldsymbol{\pi}}, \widehat{\boldsymbol{\theta}}) \propto p(\tau_{ik} = 1) p(\boldsymbol{x}_i | \boldsymbol{\theta}, \tau_{ik} = 1)$$

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$$\propto \overbrace{\widehat{\pi_k}}^{p(C_k)} \prod_{\substack{j=1 \\ j=1}}^J \left(\widehat{\theta}_{jk}\right)^{x_{ij}}$$
Unigram model

```
library(e1071)
dep<- c(labels, rep(NA, no.testSet))
dep<- as.factor(dep)
out<- naiveBayes(dep~., as.data.frame(tdm))
predicts<- predict(out, as.data.frame(tdm[-training.set,]))</pre>
```

Assessing Models (Elements of Statistical Learning)

- Model Selection: tuning parameters to select final model (cross-validation, tomorrow)
- Model assessment : after selecting model, estimating error in classification

Text classification and model assessment

- Replicate classification exercise with validation set
- General principle of classification/prediction
- Compare supervised learning labels to hand labels

Confusion matrix

	Actual Label		
Classification (algorithm)	Liberal	Conservative	
Liberal	True Liberal	False Liberal	
Conservative	False Conservative	True Conservative	

Representation of Test Statistics from Dictionary week (along with some new ones)

	Actual	Actual Label		
Classification (algorithm)	Liberal	Conservative		
Liberal	True Liberal	False Liberal		
Conservative	False Conservative	True Conservative		

TrueLib + TrueCons

Accuracy

TrueLib + TrueCons + FalseLib + FalseCons

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Accuracy	_	TrueLib + TrueCons
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Precision _{Liberal}	_	True Liberal
FrecisionLiberal	_	True Liberal + False Liberal
Pacall	_	True Liberal
$Recall_{Liberal}$	_	True Liberal + False Conservative

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RecallLiberal	_	True Liberal + False Conservative
F_{Liberal}	_	2Precision _{Liberal} Recall _{Liberal}
⁷ Liberal	_	$Precision_{Liberal} + Recall_{Liberal}$

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ROC Curve

ROC as a measure of model performance

$Recall_{Liberal}$	_	True Liberal
RecallLiberal	=	True Liberal + False Conservative
Pocall -	_	True Conservative
$Recall_{Conservative}$	=	True Conservative + False Liberal

Tension:

- Everything liberal: Recall_{Liberal} =1 ; Recall_{Conservative} = 0
- Everything conservative: $\text{Recall}_{\text{Liberal}} = 0$; $\text{Recall}_{\text{Conservative}} = 1$

Characterize Tradeoff: Plot True Positive Rate Recall_{Liberal} False Positive Rate (1 - Recall_{Conservative})

Precision/Recall Tradeoff



Simple Classification Example

Analyzing house press releases Hand Code: 1,000 press releases

- Advertising
- Credit Claiming
- Position Taking

Divide 1,000 press releases into two sets

- 500: Training set
- 500: Test set

Initial exploration: provides baseline measurement at classifier performances

Improve: through improving model fit

Example from Grimmer work on Senate press releases

		ŀ	Actual Label	
Classification (Naive Bayes)	Posi	ition Taking	Advertising	Credit Claim.
Position Taking	10		0	0
Advertising	2		40	2
Credit Claiming	80		60	306
Accuracy	· =	$\frac{10+40+306}{500}$	= 0.71	
Precision _{PT}	• =	$\frac{10}{10} = 1$		
Recall _{PT}	· =	$\frac{10}{10+2+80} =$	= 0.11	
Precision _{AD}) =	$\frac{40}{40+2+2} =$	0.91	
Recall _{AD}) =	$\frac{40}{40+60} = 0.4$		
Precision _{Credit}	=	$\frac{306}{306 + 80 + 60}$	= 0.67	
Recall _{Credit}	: =	$\frac{306}{306+2} = 0.9$	9	

Example: Jihadi Clerics

THE CONVERSATION

Indonesian cleric's support for ISIS increases the security threat

July 20, 2014 10.14pm EDT

Noor Huda Ismail

PhD Candidate in Politics and International Relations , Monash University



Nielsen (2012) investigates why certain scholars of Islam become Jihadi: i.e. why they encourage armed struggle (especially against the west)

Requires that he first classifies scholars as Jihadi and \neg Jihadi: has 27,142 texts from 101 clerics, and difficult to do by hand.

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Jihadi Clerics

Training set: self-identified Jihadi texts (765), and sample from Islamic website as \neg Jihadi (1951)

Preprocess: drops terms occurring in less than 10%, or more than 40% of documents, and uses 'light' stemmer for Arabic

Can assign a *Jihad Score* to each document: basically the logged likelihood ratio, $\sum_{i} \log \frac{\Pr(t_k | \text{Jihad})}{\Pr(t_k | \neg \text{Jihad})}$ (note: doesn't know what 'real world' priors are, so drops them here)

Then for each cleric, concatenate all works into one and give this 'document'/cleric a score.

<ロ> (四) (四) (三) (三) (三) (三)

Discriminating Words



Validation: Exoneration



Cleric Jihad Score

Figure 4.9: Jihad Scores Predict Inclusion in The Exoneration

()

back to the vector space model of text...

- Suppose you have two classes: vacations and sports
- Suppose you have four documents

Sports	Vacations
Doc ₁ : {ball, ball, ball, travel}	Doc ₃ : {travel, ball, travel}
Doc ₂ : {ball, ball}	Doc ₄ : {travel}

Suppose you have four documents

A word on Support Vector Machines...

Put the documents in vector space Travel



Ball

- Each document is a vector, one component for each term.
- Terms are axes.
- High dimensionality: 10,000s of dimensions and more
- How can we do classification in this space?

- As before, the training set is a set of documents, each labeled with its class.
- In vector space classification, this set corresponds to a labeled set of points or vectors in the vector space.
- Premise 1: Documents in the same class form a contiguous region.
- Premise 2: Documents from different classes don't overlap.
- We define lines, surfaces, hypersurfaces to divide regions.

A word on Support Vector Machines...



Classes in the vector space

Should the \star document be assigned to Chine, UK or Kenya?

A word on Support Vector Machines...

Find separators between the classes



Linear classifiers

- Definition:
 - A linear classifier computes a linear combination or weighted sum $\sum_i \beta_i x_i$ of the feature values.
 - Classification decision: $\sum_i \beta_i x_i > \beta_0$ (β_0 is our bias)
 - ..., β_0 , a parameter, is our classification threshold;
- We call this the **separator** or **decision boundary**.
- We find the separator based on training set.
- Methods for finding separator: logistic regression, linear SVM
- Assumption: The classes are **linearly separable**.

A Linear classifier in 1D



A linear classifier in 1D is a point X described by equation $\beta_1 x_1 = \beta_0$, where $x = \frac{\beta_0}{\beta_1}$; points (x_1) with $\beta_1 x_1 \ge \beta_0$ are in the class c; A Linear classifier in 1D

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SVMs - geometric intuition

A Linear classifier in 2D



A linear classifier in 2D is a line described by equation $\beta_1 x_1 + \beta_2 x_2 = \beta_0$; points $(x_1 x_2)$ with $\beta_1 x_1 + \beta_2 x_2 \ge \beta_0$ are in the class c
SVMs - geometric intuition

A Linear classifier in 2D



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SVMs - geometric intuition

A Linear classifier in 3D



A linear classifier in 3D is a line described by equation $\beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 = \beta_0$;

SVMs - geometric intuition

A Linear classifier in 3D



SVMs - definition

SVMs: A kind of large-margin classifier

Vector space based machine-learning method aiming to find a decision boundary between two classes that is maximally far from any point in the training data (possibly discounting some points as outliers or noise)



SVMs - definition

SVMs: A kind of large-margin classifier

2-class training data decision boundary → **linear separator** criterion: being maximally far away from any data point → determines classifier **margin**

linear separator position defined by support vectors



Why maximize the margin? It increaes ability to correctly generalize to test data;

What is there is no linear solution?



()

kernel trick...

SVMs represent the data in a higher dimensional projection using a kernel, and bisect this using a hyperplane Gene $2\,$



Data is not linearly separable in the <u>input space</u> Data is linearly separable in the <u>feature space</u> obtained by a kernel

kernel trick...

This is only needed when no linear separation plane exists - so not needed in second of these



kernel trick...

Kerlnels can give you different decision boundaries based on the different projections of data into higher-dimensional space



Ideological Scaling

1) Task

- Measure political actors' position in policy space
- Low dimensional representation of beliefs
- 2) Objective function
 - Linear Discriminant Analysis (ish) ~> Wordscores
 - Item Response Theory \rightsquigarrow Wordfish
 - Item Response Theory + Roll Call Votes \rightsquigarrow Issue-specific ideal points
- 3) Optimization
 - Wordscores \leadsto straightforward, based on training texts
 - Wordfish \leadsto EM, MCMC methods
- 4) Validation
 - What is the goal of embedding?
 - What is the gold standard?

- Suppose we have actor $i \ (i = 1, 2, 3, \dots, N)$

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- Actor has ideal point $\boldsymbol{\theta}_i \in \Re^M$

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Estimation goal: $\widehat{\theta}_i$

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Estimation goal: $\hat{\theta}_i$ Scaling \rightsquigarrow placing actors in low-dimensional space (like principal components!)

US Congress and Roll Call

- Poole and Rosenthal voteview

- Poole and Rosenthal voteview
 - Roll Call Data \rightsquigarrow 1789-Present

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 - Widely used: hard to write a paper on American political institutions with ideal points

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 - Bonica (2013, 2014) → estimate ideology from donations (but not everyone donates)
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 - Much of political speech reveals little about position on ideological spectrum view advertising, regional

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Healthy skepticism!

Wordscores (Laver, Benoit & Garry, 2003)



Long standing interest in scaling political texts relative to one another:

- e.g. are parties moving together over time, such that manifestos are converging?
- e.g. do members of parliament speak in line with their constituency's ideology (roll calls typically uninformative)?
 - → LBG suggest a way of scoring documents in a NB style, so that we can answer such questions.

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Basics

- 1 Begin with a reference set (training set) of texts that have known positions.
- e.g. we find a 'left' document and give it score -1; and a 'right' document and give it score 1
 - 2 Generate word scores from these reference texts
 - 3 Score the virgin texts (test set) of texts using those word scores, possibly transform virgin scores to original metric.

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 $x_i \rightsquigarrow$ aggregation across documents, where each legislator is a row in the DTM (normalized by length speech)

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Wordscores: Optimization

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$$S_j = P_{jC} - P_{jL}$$

- L = Ted KennedyC = Tom Coburn
- Apply to other senators.

Applying to Senate Press Releases \rightsquigarrow Gold Standard Scaling from NOMINATE



June 4, 2017

Applying to Senate Press Releases VordScores



Example

Neo-Nazi manifesto uses 'immigrant' 25 times in 1000 words, while Communists use it only 5 times.

then
$$P_{iR} = \frac{0.025}{0.025 + 0.005} = 0.83.$$

and $P_{iL} = \frac{0.005}{0.025 + 0.005} = 0.16.$

so $S_i = 0.83 - 0.16 = 0.66$

- we see a virgin manifesto, from the Conservative party, and it mentions immigrant 20 times in a thousand words.
- well the relevant calculation for that word is $0.02 \times 0.66 = 0.0132$.
- but virgin manifesto, from Labour party, mentions it 10 times in a thousand words: $0.01 \times 0.66 = 0.006$
 - ightarrow can rescale these back to original (-1,1) dimension.

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New Labour Moderates its Economic Policy



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New Labour Moderates its Economic Policy



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Compared to Expert Surveys

(a) Economic Scale



June 4, 2017

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Comments

Extremely influential approach: avoids having to pick features of interest (features that don't distinguish between reference texts have $S_i = 0$)

- and helpful/valid in practice, and can have uncertainty estimates to boot.
- very important to obtain extreme and appropriate reference, and score them appropriately. Need to be from domain of virgin texts, and have lots of words.
- but Lowe (typically?) unhappy (2008): no statistical model, inconsistent scoring assumptions, and difficult to pick up 'centrist language' (is equivalent to any language used commonly by all parties for linguistic reasons).
- while Beauchamp (2011) provides comparison and extension to more purely Bayesian approach.

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Estimates:

$$\mathsf{Error} = \mathsf{E}\left[\mathsf{E}[L(\boldsymbol{Y}, f(\hat{\boldsymbol{\beta}}, \boldsymbol{X}, \boldsymbol{\lambda}))|\mathcal{T}]\right]$$

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Validation ("Test") Group 1

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Step Training

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- 2 Group 1, Group3, Group 4, ..., Group K

Validation ("Test") Group 1 Group 2

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- 2 Group 1, Group3, Group 4, ..., Group K
- 3 Group 1, Group 2, Group 4, ..., Group K

Validation ("Test") Group 1 Group 2 Group 3

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CV(ind. classification) = $\frac{1}{N} \sum_{i=1}^{N} L(\boldsymbol{Y}_i, f^{-k}(\boldsymbol{X}_i))$

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1	Group2, Group3, Group 4,, Group K	Group 1
2	Group 1, Group3, Group 4,, Group K	Group 2
3	Group 1, Group 2, Group 4,, Group K	Group 3
:	:	:
ĸ	Group 1, Group 2, Group 3,, Group K - 1	Group K
Strate	gy:	·

- Divide data into K groups
- Train data on K-1 groups. Estimate $\hat{f}^{-K}(oldsymbol{X},oldsymbol{\lambda})$
- Predict values for K^{th}
- Summarize performance with loss function: $L(\boldsymbol{Y}_i, \hat{f}^{-k}(\boldsymbol{X}, \boldsymbol{\lambda}))$

- Mean square error, Absolute error, Prediction error, ...

 $\begin{array}{l} \mathsf{CV}(\mathsf{ind. classification}) = \frac{1}{N} \sum_{i=1}^{N} L(\boldsymbol{Y}_i, f^{-k}(\boldsymbol{X}_i)) \\ \mathsf{CV}(\mathsf{proportions}) = \\ \frac{1}{K} \sum_{j=1}^{K} \mathsf{Mean Square Error Proportions from Group j} \end{array}$

Step	Training	Validation ("Test")
1	Group2, Group3, Group 4,, Group K	Group 1
2	Group 1, Group3, Group 4,, Group K	Group 2
3	Group 1, Group 2, Group 4,, Group K	Group 3
÷	:	:
ĸ	Group 1, Group 2, Group 3,, Group K - 1	Group K
Strate	gy:	·

- Divide data into K groups
- Train data on K-1 groups. Estimate $\hat{f}^{-K}(\boldsymbol{X}, \boldsymbol{\lambda})$
- Predict values for K^{th}
- Summarize performance with loss function: $L(\boldsymbol{Y}_i, \hat{f}^{-k}(\boldsymbol{X}, \boldsymbol{\lambda}))$

- Mean square error, Absolute error, Prediction error, ...

 $\begin{aligned} & \text{CV}(\text{ind. classification}) = \frac{1}{N} \sum_{i=1}^{N} L(\boldsymbol{Y}_{i}, f^{-k}(\boldsymbol{X}_{i})) \\ & \text{CV}(\text{proportions}) = \\ & \frac{1}{K} \sum_{j=1}^{K} \text{Mean Square Error Proportions from Group j} \\ & \text{- Final choice: model with highest } CV \text{ score} \end{aligned}$

visual intuition...



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visual intuition...



pro: more stable, more data con: slower

How Do We Select K?

Common values of K

- K = 5: Five fold cross validation
- K = 10: Ten fold cross validation
- K = N: Leave one out cross validation

Considerations:

- How sensitive are inferences to number of coded documents?
- 200 labeled documents
 - K = N
 ightarrow 199 documents to train,
 - ${\it K}=10
 ightarrow 180$ documents to train
 - ${\it K}=5
 ightarrow 160$ documents to train
- 50 labeled documents
 - K = N
 ightarrow 49 documents to train,
 - ${\it K}=10
 ightarrow 45$ documents to train
 - ${\it K}=5
 ightarrow 40$ documents to train
- How long will it take to run models?
 - K-fold cross validation requires $K \times$ One model run
- What is the correct loss function?